

Exercises (February 22, 2017):

1. Typeset

$$a^2 = b^2 + c^2$$

2. Typeset

$$F = G_N \frac{m_1 m_2}{r^2}$$

3. Typeset

$$n_{\pm}(E, T) = \frac{1}{e^{\frac{E}{k_B T}} \pm 1} = \frac{1}{e^{\hbar\omega/k_B T} \pm 1}$$

*Note: This uses the greek letter \omega and the symbol \hbar.*

4. Typeset

$$F_{\mu\nu} = [D_\mu, D_\nu] = \partial_\mu A_\nu - \partial_\nu A_\mu = \partial_{[\mu} A_{\nu]}$$

*Note: This uses the greek letters \mu and \nu, and the symbol \partial.*

5. Typeset this (the first is inline, the next two are separate displayed equations):

“Taylor expansion  $e^x = \sum_{n=0}^{\infty} \frac{1}{n!} x^n$ .”

$$\int_0^1 \frac{df}{dx} dx = f(1) - f(0)$$

$$e^{\zeta(s)} = \prod_{n=1}^{\infty} e^{1/n^s}$$

(This uses the greek letter zeta).

## Solutions

Exercise 1: \item Typeset

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\[
a^2=b^2+c^2
\]
\bigskip
```

Exercise 2: \[

```
F = G_N\frac{m_1m_2}{r^2}
\]
\bigskip
```

Exercise 3: \[

```
n_{\pm}(E,T)=\frac{e^{\{-\frac{E}{k_BT}\}}}{\pm 1}
=\frac{e^{\{-\frac{\hbar\omega}{k_BT}\}}}{\pm 1}
\]
\bigskip
```

Exercise 4: \[

```
F_{\mu\nu} = [D_\mu , D_\nu]
=\partial_\mu A_\nu-\partial_\nu A_\mu
=\partial_{[\mu} A_{\nu]}
\]
```

Exercise 5: “Taylor expansion  $e^x = \sum_{n=0}^{\infty} \frac{n!}{n!} x^n$ . ”

```
\[\int_0^1 \frac{df}{dx} dx = f(1) - f(0)\]
\[e^{\zeta(s)} = \prod_{n=1}^{\infty} e^{1/n^s}\]
```

Exercises (March 1, 2017):

1. Typeset these two expressions as separate *displayed equations*:

$$2 \left[ 3 \frac{a}{z} + 2 \left( \frac{a}{d} + 7 \right) \right] \quad x^2 \left( \sum_n A_n + 3 \left( b + \frac{1}{c} \right) \right)_0$$

2. Typeset this, using the `multiline*` environment:

$$\begin{aligned} 2 \left( 1 + \frac{1}{2} + \frac{1}{2^2} + \frac{1}{2^3} + \frac{1}{2^4} + \frac{1}{2^5} + \frac{1}{2^6} + \frac{1}{2^7} + \frac{1}{2^8} + \frac{1}{2^9} \right. \\ \left. + \frac{1}{2^{10}} + \frac{1}{2^{11}} \right) = \frac{4095}{1024} \end{aligned}$$

3. We previously had

```
\[ 2\left[3\frac{a}{z}+\right.\\ \left.2\left(\frac{a}{d}+7\right)\right]\ ]
```

giving

$$2 \left[ 3 \frac{a}{z} + 2 \left( \frac{a}{d} + 7 \right) \right]$$

Make it look like this:

$$2 \left[ 3 \frac{a}{z} + 2 \left( \frac{a}{d} + 7 \right) \right]$$

4. Typeset: The Pauli matrices are:

$$\sigma^1 = \begin{pmatrix} 0 & 1 \\ 1 & 0 \end{pmatrix}, \quad \sigma^2 = \begin{pmatrix} 0 & -i \\ i & 0 \end{pmatrix} \quad \text{and} \quad \sigma^3 = \begin{pmatrix} 1 & 0 \\ 0 & -1 \end{pmatrix}$$

*Note: The blank in the 2<sup>nd</sup> entry of the 1<sup>st</sup> row of  $\sigma^3$  is a deliberate typo*

5. Typeset this:

Jersey	First Name	Last Name
10	Cristiano	Ronaldo
11	Didier	Drogba
10	Edson	Arantes do Nascimento (Pele)

6. Typeset this:

Shape	Area	Perimeter
Disk of radius $R$	$\pi R^2$	$2\pi R$
Rectangle of sides $L_1$ and $L_2$	$L_1 L_2$	$2(L_1 + L_2)$
Square of side $L_1 = L_2$		
Right triangle, base $b$ and height $h$	$\frac{1}{2}bh$	$b + h + \sqrt{b^2 + h^2}$

## Solutions

Exercise 1: 
$$\left[ \frac{a}{x^2} \left( \sum_n A_n + 3 \left( b + \frac{c}{x} \right) \right) \right]_0$$

```

Exercise 2: \begin{multiline*}
    2\left(1+\frac{1}{2^2}+\frac{1}{2^3}+\frac{1}{2^4}\right.\\
    \quad +\frac{1}{2^5}+\frac{1}{2^6}+\frac{1}{2^7}\\
    \quad \quad +\frac{1}{2^8}+\frac{1}{2^9}\left.\right).\backslash\\
\left.+\frac{1}{2^{10}}+\frac{1}{2^{11}}\right)=\frac{4095}{1024}\\
\end{multiline*}

```

Exercise 3: 
$$\left[ 2\Bigg( \frac{a}{z} + 2\bigg( \frac{a}{d} + 7 \bigg) \Bigg) \right]$$

Exercise 4: The Pauli matrices are:

```
\[\sigma^1=\begin{pmatrix}0&1\\1&0\end{pmatrix}, \quad
\sigma^2=\begin{pmatrix}0&-i\\i&0\end{pmatrix}\quad\text{and}\quad
\sigma^3=\begin{pmatrix}1&\sqrt{0}&-1\end{pmatrix}
\]
```

```
Exercise 5: \begin{center}
    \begin{tabular}{c||l|l}
        Jersey & First Name & Last Name \\
        \hline\hline
        10 & Cristiano & Ronaldo \\
        \hline
        11 & Didier & Drogba\\
        \hline
        10 & Edson & Arantes do Nascimento (Pele)
    \end{tabular}
\end{center}
```

```

Exercise 6: \begin{center}
    \begin{tabular}{|p{2in}|c|c|}
        Shape&Area&Perimeter\\
        \hline\hline
        Disk of radius  $R$  & $\pi R^2$  &  $2\pi R$ \\
        \hline
        Rectangle of sides  $L_1$  and  $L_2$  &  $L_1L_2+2(L_1+L_2)$ \\
        \cline{1-1}
        Square of side  $L_1=L_2$  & & \\
        \hline
        Right triangle, base  $b$  and height  $h$  &  $\frac{1}{2}bh$ & $b+h+\sqrt{b^2+h^2}$ 
    \end{tabular}
\end{center}

```

Exercises (March 8, 2017):

1. Typeset this:

Jersey	First Name	Last Name
10	Cristiano	Ronaldo
11	Didier	Drogba
10	Edson	Arantes do Nascimento (Pele)

2. Typeset this:

Shape	Area	Perimeter
Disk of radius $R$	$\pi R^2$	$2\pi R$
Rectangle of sides $L_1$ and $L_2$	$L_1 L_2$	$2(L_1 + L_2)$
Square of side $L_1 = L_2$		
Right triangle, base $b$ and height $h$	$\frac{1}{2}bh$	$b + h + \sqrt{b^2 + h^2}$

3. Homework: Typeset this (note the alignment at equal sign)

a	$x^2 + y = 30$
b	$100 = \sin(\theta) + \cos \varphi$
c	$q \cup p = q \cap p$

4. Find a triton on google images; then resize and crop it to get this:



## Solutions

Exercise 1: \begin{center}  
  \begin{tabular}{c||l|l}  
    Jersey & First Name & Last Name \\  
  \hline\hline  
    10 & Cristiano & Ronaldo \\  
  \hline  
    11 & Didier & Drogba\\  
  \hline  
  10 & Edson & Arantes do Nascimento (Pele)  
  \end{tabular}  
\end{center}

Exercise 2: \begin{center}  
  \begin{tabular}{|p{2in}|c|c|}  
    Shape&Area&Perimeter\\  
  \hline\hline  
    Disk of radius \$R\$ &\$\pi R^2\$ & \$2\pi R\$\\  
  \hline  
    Rectangle of sides \$L\_1\$ and \$L\_2\$ & \$L\_1L\_2\$&\$2(L\_1+L\_2)\$\\  
  \cline{1-1}  
    Square of side \$L\_1=L\_2\$ & & \\  
  \hline  
    Right triangle, base \$b\$ and height \$h\$ & \$\frac{1}{2}bh\$&\$b+h+\sqrt{b^2+h^2}\$  
  \end{tabular}  
\end{center}

Exercise 3: \begin{center}  
  \begin{tabular}{|l|r@{\$=\$}|l|}  
  \hline  
    a&\$x^2+y^3\$\\  
  \hline  
    b&\$100\sin(\theta)+\cos\varphi\$\\  
  \hline  
    c&\$q\cup p\$&\$q \cap p\$\\  
  \hline  
  \end{tabular}  
\end{center}

Exercise 4: \includegraphics[width=4cm,trim= 7cm 6cm 8cm 1cm,clip]{gl-5-triton.png}