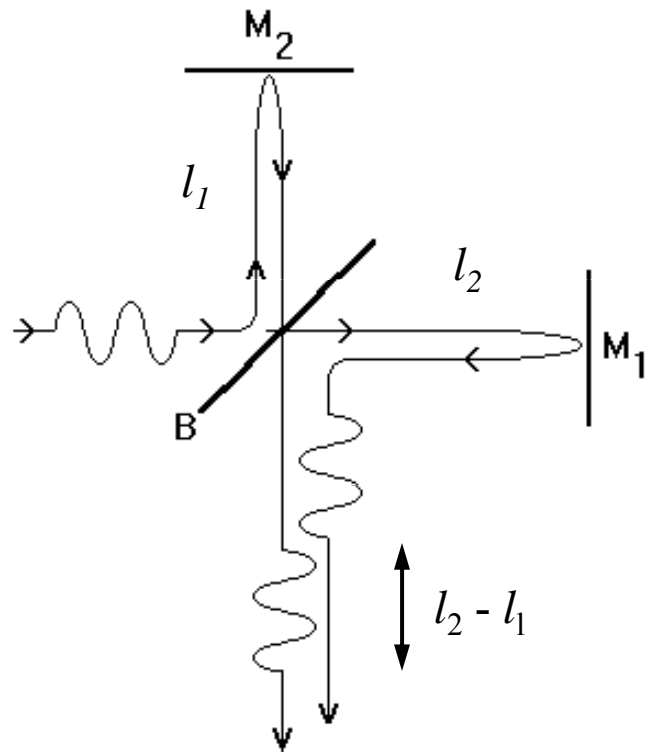


# The Michelson Interferometer

The interferometer measures the coherence of light by making the light “interfere” with itself. A beam of light is passed through a partially transparent mirror, or "beamsplitter", so that every train of waves in the beam is split into two identical trains. Each wave train is sent along a separate path, after which the waves are again combined.



destructive interference

the eye will see darkness if  $|l_2 - l_1| = (n + 1/2)\lambda_0$

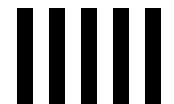
and a bright light if  $|l_2 - l_1| = n\lambda_0$

constructive interference

for a long coherence length  $\Delta\chi > |l_2 - l_1|$

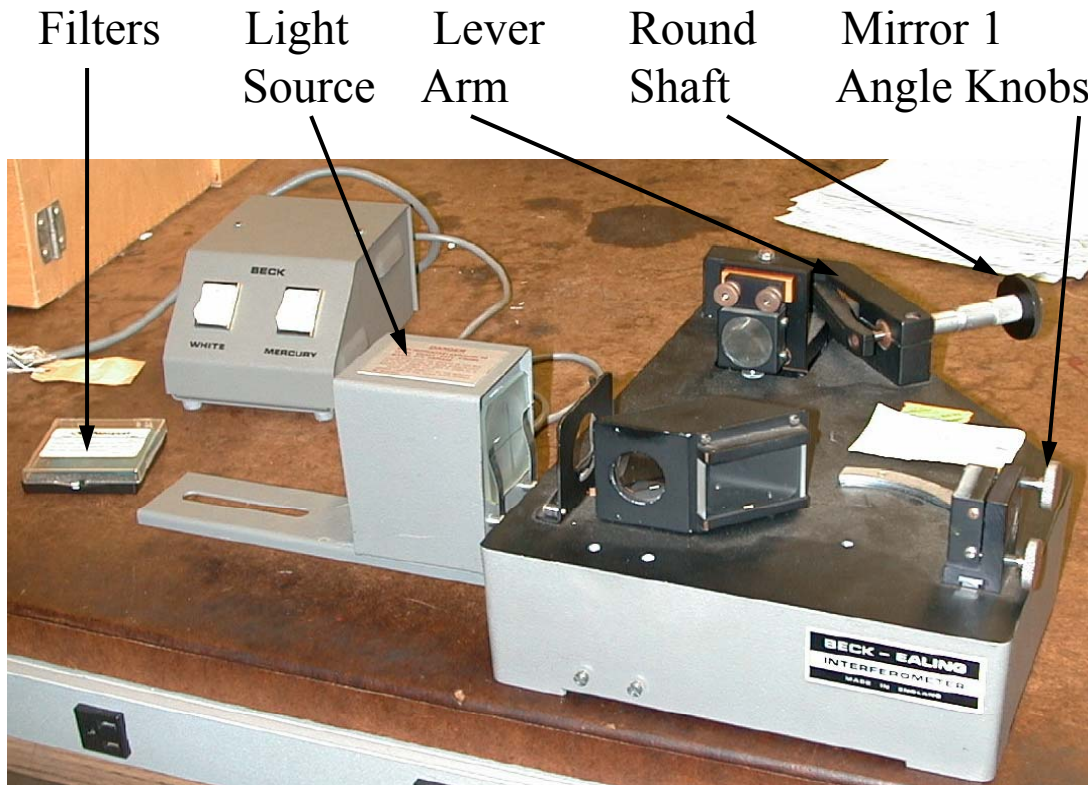
for a short coherence length  $\Delta\chi < |l_2 - l_1|$   
 one portion of the packet is delayed enough so that it fails to overlap its partner at the output, and  
no interference can occur

Each mirror has some angular deviation from perpendicularity. Thus,  $l_2 - l_1$  varies from one point on the mirror to another → a system of oriented stripes, or "fringes"



Measuring coherence length: begin with  $l_1 = l_2$ , and increase  $l_2$  until the interference fringes become weaker and just disappear.  $l_2 - l_1$  is then the coherence length  $\Delta\chi$ .

## The experiment



### Procedure:

- Determine  $\Delta\lambda$  for the single green line of Mercury
  1. Adjust the angle of Mirror M1: Set about 10 fringes in the field of view
  2. Estimate  $\lambda_0$  from the fringe motion versus dial tics
  3. Place an upper limit on  $\Delta\lambda$  for the mercury green line by seeing how large  $l_2 - l_1$  can be made with the fringes still visible
- Determine  $\Delta\lambda$  for white light
  1. Adjust  $l_2 - l_1 \approx 0$ , and then search for fringes
  2. Determine how large  $l_2 - l_1$  can be with the fringes still visible
- Determine  $\Delta\lambda$  for the green and blue filters acting on white light

### The apparatus:

The micrometer reading that gives  $l_2 - l_1 = 0$  is marked on the base of the instrument

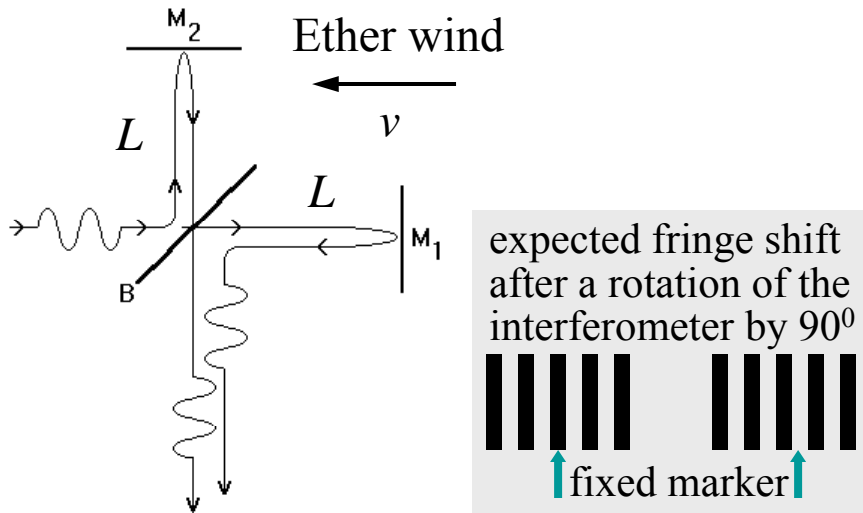
$$1 \text{ mm (dial)} = 400 \mu\text{m} (\Delta l)$$

A white bulb emits at all visible wavelengths.

A mercury vapor bulb emits light at a few discrete wavelengths. Refer to the Spectral Lines table.

# the Michelson-Morley experiment (1887)

ether – a medium  
in which light waves could travel



one of the arms was aligned along  
the direction of the motion  
of the Earth through the ether

the interferometer was rotated by  $90^\circ$   
→ no fringe shift was observed!

**the speed of light does not depend  
on the direction of light propagation**

the idea of an ether  
became unnecessary

**special relativity, Einstein (1905)**

$$t_1 = \frac{L}{c+v} + \frac{L}{c-v} = \frac{2L}{c} \left(1 - \frac{v^2}{c^2}\right)^{-1} \quad \text{time to travel arm 1}$$

$$t_2 = \frac{2L}{(c^2 - v^2)^{1/2}} = \frac{2L}{c} \left(1 - \frac{v^2}{c^2}\right)^{-1/2} \quad \text{time to travel arm 2}$$

$$\Delta t = t_1 - t_2 = \frac{2L}{c} \left[ \left(1 - \frac{v^2}{c^2}\right)^{-1} - \left(1 - \frac{v^2}{c^2}\right)^{-1/2} \right] \approx \frac{Lv^2}{c^3}$$

$$\Delta d = c(2\Delta t) = \frac{2Lv^2}{c^2} \quad \begin{array}{l} \text{rotating by } 90^\circ \rightarrow \text{path} \\ \text{difference } \Delta d \\ \text{corresponding to } \Delta t \end{array}$$

$$\text{Shift} = \frac{\Delta d}{\lambda} = \frac{2Lv^2}{\lambda c^2} \quad \begin{array}{l} \text{corresponding fringe shift} \\ \text{(a change in path of } 1 \lambda \\ \rightarrow \text{ a shift of 1 fringe)} \end{array}$$

$$\Delta d = \frac{2(11\text{m})(3 \times 10^4 \text{ m/s})^2}{(3 \times 10^8 \text{ m/s})^2} = 2.2 \times 10^{-7} \text{ m}$$

$$\text{Shift} = \frac{\Delta d}{\lambda} = \frac{2.2 \times 10^{-7} \text{ m}}{5.0 \times 10^{-7} \text{ m}} \approx 0.4$$

## **EXPERIMENT #3**

### **The Photoelectric Effect**

#### **GOALS**

##### **Physics**

Measure Planck's constant by using the photoelectric effect.

##### **Errors**

Estimate the range of “allowable” slope fits to your data points to estimate the accuracy of your determination of  $h$ . Compare your value of  $h$  to the accepted value.

##### **References**

Serway, Moses, Moyer §3.4

$$\begin{aligned} h &= 6.63 \times 10^{-34} \text{ J} \cdot \text{s} \\ &= 4.14 \times 10^{-15} \text{ eV} \cdot \text{s} \end{aligned}$$

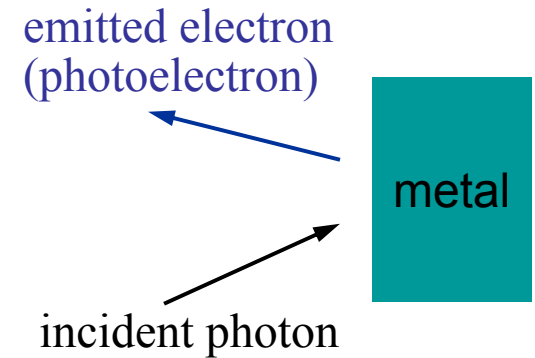
**photoelectric effect** is the ejection of electrons from matter by incident electro-magnetic radiation, particularly by visible light, ultra-violet light, and x-rays

$E = hf$  energy of a photon of frequency  $f$   
 $h$  is Planck's constant

$W_0$  the work function of the metal

$KE = \frac{1}{2}mv^2$  electron kinetic energy

$hf = W_0 + KE$  Einstein relation (1905)



you will measure  $KE$  versus  $f$ , thus determining  $h$

experiment by Philip Lenard (1902)

### Equipment

$$hf = W_0 + KE$$

1. Mercury discharge lamp
2. Set of light filters
3. Photosensitive vacuum tube
4. Circuit to produce retarding voltage across phototube
5. Oscilloscope

### Principle of the experiment:

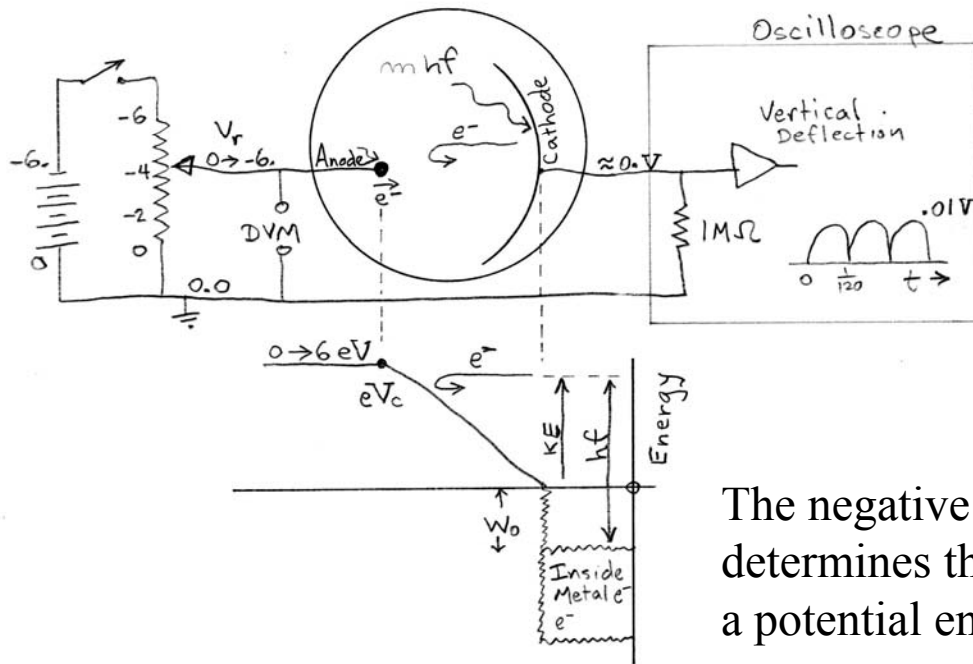
1. A photon impinging on the cathode ejects an electron
2. If  $KE < eV_r$  the emitted electron returns to the cathode  
→ no cathode photocurrent;

If  $KE > eV_r$  the emitted electron reaches the anode  
→ cathode photocurrent (developing the voltage across the  $1M\Omega$  resistor)

3. The cathode photocurrent goes to zero when  $KE = eV_c$

$$hf = W_0 + eV_c \rightarrow h = \frac{d(eV_c)}{df}$$

Measuring  $V_c$  as a function of  $f \rightarrow$  finding  $h$



The negative “retarding” voltage  $-V_r$  applied to the anode determines the height of the potential hill.  $V_r = -1.0$  V gives a potential energy hill of  $PE = 1.6 \times 10^{-19}$  J = 1eV

A voltage divider allows retarding potentials  $V_r = 0 \rightarrow -6$  V

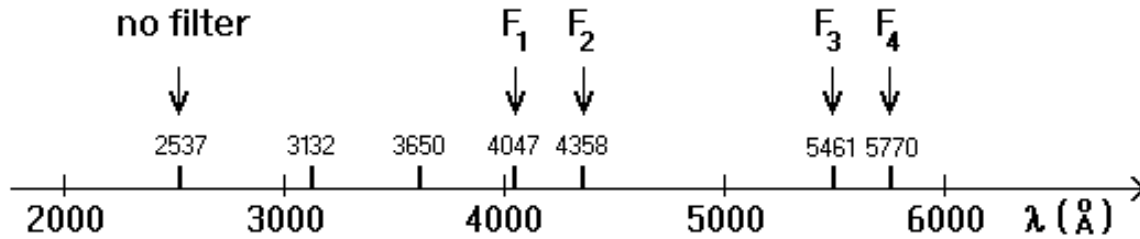


Start the light source by setting the toggle switch to start and pressing the red start button; then the toggle switch must be set to operate, or else the life of the discharge tube will be greatly reduced.

**DO NOT LOOK DIRECTLY INTO THE DISCHARGE TUBE WHEN THE LAMP IS OPERATING** since ultra violet radiation damages the unprotected eye.

Place the light source and phototube housing an inch or so apart and cover both with the light shield hood to keep the room light out of the phototube.

Turn off the battery switch when you are through with the measurements.

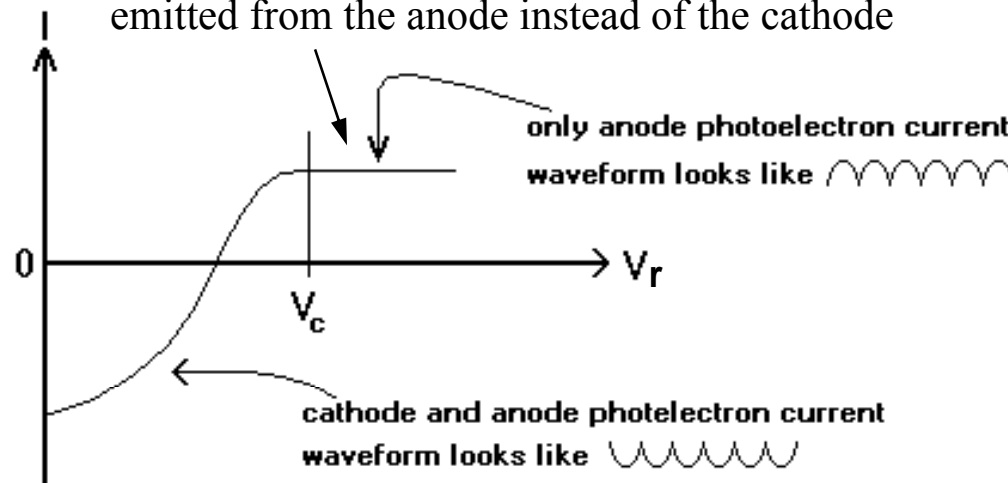


The light source is a mercury discharge lamp.

The arrows indicate the  $\lambda$  that are passed by 4 special filters.

The mercury lamp intensity peaks 120 times per second  $\rightarrow$  photocurrent also peaks at 120 Hz.

Side effect of the experiment: Photoelectrons emitted from the anode instead of the cathode



The anode electrons are accelerated by  $V_r$  and lead to nearly constant electron current at any  $V_r$ .  
 Direction of the anode photocurrent is opposite to that of the cathode photocurrent.

The anode photocurrent shifts up the total photocurrent  $I = I_{anode} - I_{cathode}$

Therefore,  $V_r = V_c$  when  $I = \text{const}$  (not when  $I = 0$ )



## Basic lab measurements

- Measure the cathode electron cutoff voltage  $V_c$  (by each student separately) for each of the four filters, and also for no filter.
- Make about 4 determinations of the cutoff voltage  $V_c$  for each filter to get an idea of experimental error.
- Calculate the highest frequency present in the light for each filter  $f$  and plot your  $V_c$  as a function of  $f$ . Each data point should have error bars indicating the estimated precision of your measurement of  $V_c$ .
- Draw an average straight line through your data and from this line determine Planck's constant. The uncertainty in your result can be obtained by noting the range of different lines you can draw through your data.
- Compare  $h$  with the commonly accepted value

